

Question 1.

Two parallelograms are on equal bases and between the same parallels. Find the ratio of their areas.

Question 2.

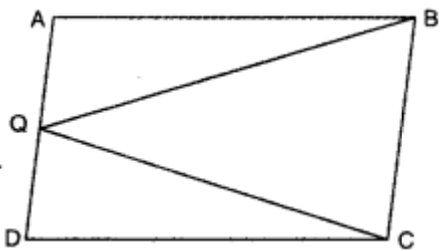
In $\triangle XYZ$, XA is a median on side YZ . Find ratio of $\text{ar}(\triangle XYA) : \text{ar}(\triangle XZA)$.

Question 3.

$ABCD$ is a trapezium with parallel sides $AB = a$ cm and $DC = b$ cm (fig.). E and F are the mid-points of the non parallel sides. Find the ratio of $\text{ar}(ABFE)$ and $\text{ar}(EFCD)$.

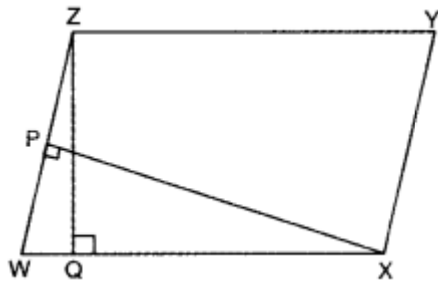
Question 4.

$ABCD$ is a parallelogram and Q is any point on side AD . If $\text{ar}(\triangle QBC) = 10$ cm², find $\text{ar}(\triangle QAB) + \text{ar}(\triangle QDC)$.



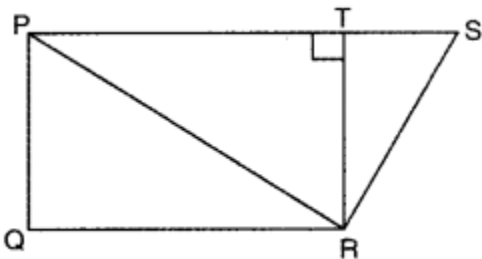
Question 5.

$WXYZ$ is a parallelogram with $XP \perp WZ$ and $ZQ \perp WX$. If $WX = 8$ cm, $XP = 8$ cm and $ZQ = 2$ cm, find YX .



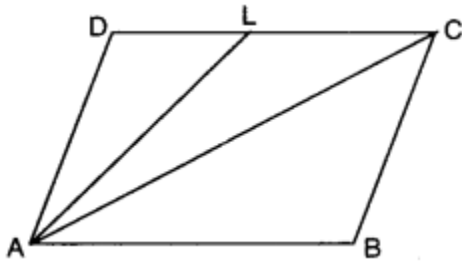
Question 6.

In figure, $TR \perp PS$, $PQ \parallel TR$ and $PS \parallel QR$. If $QR = 8$ cm, $PQ = 3$ cm and $SP = 12$ cm, find $\text{ar}(\text{quad. PQRS})$.



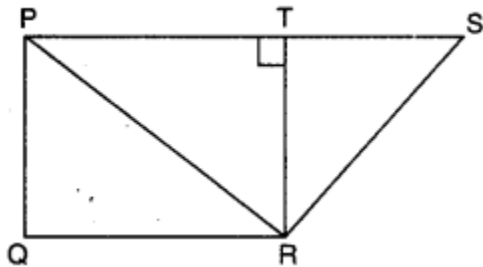
Question 7.

In the given figure, ABCD is a parallelogram and L is the mid-point of DC. If $\text{ar}(\text{quad. ABCL})$ is 72 cm, then find $\text{ar}(\triangle ADC)$.



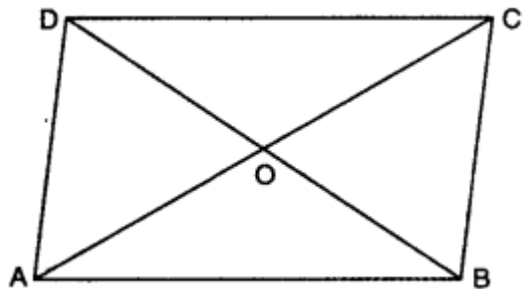
Question 8.

In figure, $TR \perp PS$, $PQ \parallel TR$ and $PS \parallel QR$. If $QR = 8$ cm, $PQ = 3$ cm and $SP = 12$ cm, find $\text{ar}(\text{PQRS})$.



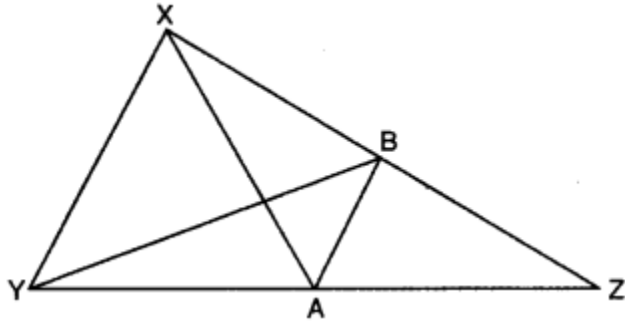
Question 9.

ABCD is a parallelogram and O is the point of intersection of its diagonals. If $\text{ar}(\triangle AOD) = 4$ cm² find area of parallelogram ABCD.



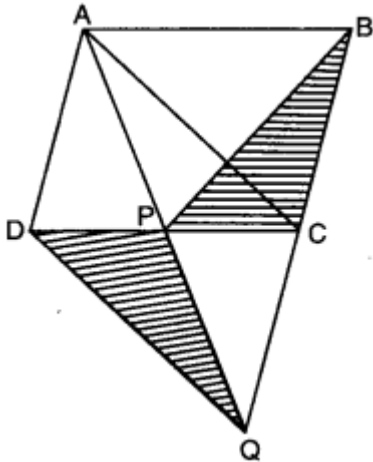
Question 10.

In the given figure of $\triangle XYZ$, XA is a median and $AB \parallel YX$. Show that YB is also a median.



Question 11.

$ABCD$ is a parallelogram and BC is produced to a point Q such that $AD = CQ$ (fig.). If AQ intersects DC at P , show that $\text{ar}(\triangle BPC) = \text{ar}(\triangle DPQ)$.



Question 12.

In the figure, $PQRS$ is a parallelogram with $PQ = 8 \text{ cm}$ and $\text{ar}(\triangle PXQ) = 32 \text{ cm}^2$. Find the altitude of $\text{gm } PQRS$ and hence its area.

